

Impact of radiation transfer modeling on the simulation of the thermal response of ablating spacecraft thermal protection systems

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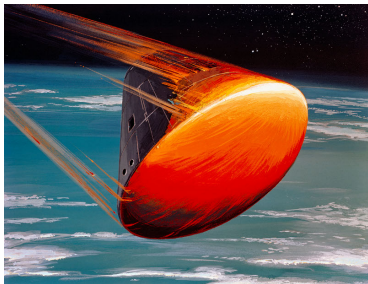
General problem

High velocity atmospheric entry of a spacecraft generates high heat fluxes (up to 10 MW m^{-2} , shield temperature up to 3000 K)

Protection of payload requires an appropriate **thermal protection system (TPS)**

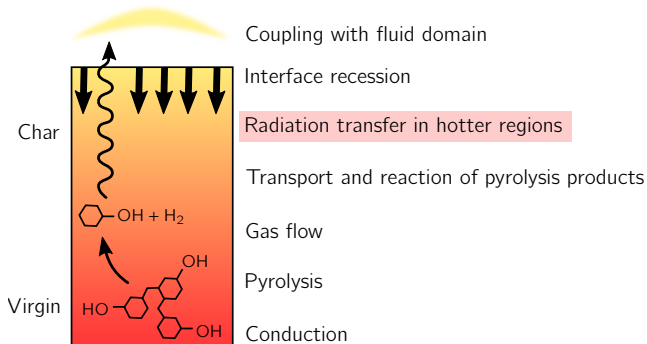
High mission costs: Accurate predictions are essential to reduce safety factors

Lightweight porous carbon/phenolic resin ablators absorb the heat load through an endothermic pyrolysis reaction



Lightweight ablative thermal protection

Essential element of shield design: **Material response modeling**



Multiple, coupled physical phenomena

Challenges and stakes of modeling and material characterization

Model inputs require **medium characterization**

Central element of characterization: **Material testing** (e.g. TGA, LFA, M-DSC)

It is a challenge due to extreme conditions: gathering data for flight conditions is difficult

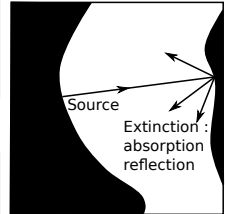
**Every addition to a model requires further testing:
the impact has to be assessed**

Radiation modeling for TPS

Modeling radiation transfer in porous media

Typical configuration

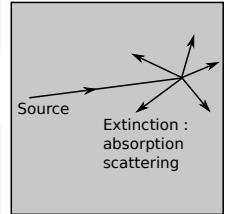
- one opaque phase
- one transparent phase



Multiscale view

- pore-scale: surface radiative interaction
- macro-scale: participating homogeneous medium

Several approaches exist for upscaling (not discussed here)



Common macro-scale models for radiation transfer

- radiation transfer equation (possibly generalized)
- radiative Fourier law

Current model

Fourier	$P^R = \nabla \cdot (\mathbb{k}^R \cdot \nabla T)$	“constrained”	cheap
RTE	$P^R = -\nabla \cdot \left(\int_{4\pi} I_\nu(\mathbf{r}, \mathbf{u}) \mathbf{u} d\Omega \right)$ $\mathbf{u} \cdot \nabla_r I_\nu(\mathbf{r}, \mathbf{u}) = S_\nu^e(\mathbf{r}, \mathbf{u}) - \beta_\nu(\mathbf{u}) I_\nu(\mathbf{r}, \mathbf{u})$ $+ \int_{4\pi} \sigma_\nu(\mathbf{u}') I_\nu(\mathbf{r}, \mathbf{u}') \frac{\rho_\nu(\mathbf{r}, \mathbf{u}', \mathbf{u})}{4\pi} d\Omega'$	“flexible”	expensive

Engineering models for spacecraft TPS use the **radiative Fourier law** due to

- cheap computational cost and ease of implementation
- ease of characterization (LFA)

Current model (cont'd)

Validity criterion for the Fourier law (Gomart and Taine, 2011)

- 1 Not in the radiative boundary layer: works only in the core of the shield
- 2 Limited variations of temperature

$$\frac{1}{\kappa^{\text{eff}}} \frac{\|\nabla T\|}{T} < \eta \quad \text{with } \kappa \leq \kappa^{\text{eff}} \leq \kappa + \sigma(1 - g)$$

Effective absorption coefficient accounting for multiple scattering

Quantifies " $\ll 1$ " (depends on requested accuracy for Fourier's law)

Problems in the near-interface region

- Hottest region \Rightarrow Radiation transfer is more intense
- Close interface & higher porosity \Rightarrow Increased chance to invalidate crit. 1
- Steep temperature gradients \Rightarrow Increased chance to invalidate crit. 2

Analysis of a simple case

Problem description

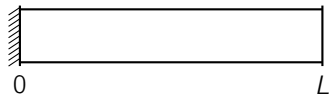
Geometry

Pore scale:

- Opaque/transparent configuration

Macro scale:

- One-dimensional sample of size $L = 5 \text{ cm}$



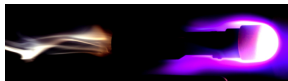
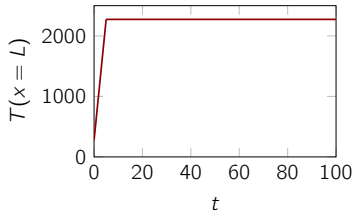
Governing equations

Energy balance (conduction and radiation)

$$\rho c_p \frac{\partial T}{\partial t} = \frac{\partial}{\partial x} \left(k^{\text{eff}} \frac{\partial T}{\partial x} \right) + P^{\text{R}}$$

Boundary conditions (\sim plasmatron test):

- Zero flux at $x = 0$
- $T = \begin{cases} 273 \text{ K} & \text{at } t = 0 \\ 2273 \text{ K} & \text{at } t \geq 5 \text{ s} \end{cases} \quad \text{at } x = L$



Implementation

Material properties

Fictitious lightweight ablator designed for code benchmarking: TACOT 3.0 (Lachaud et al., 2012)

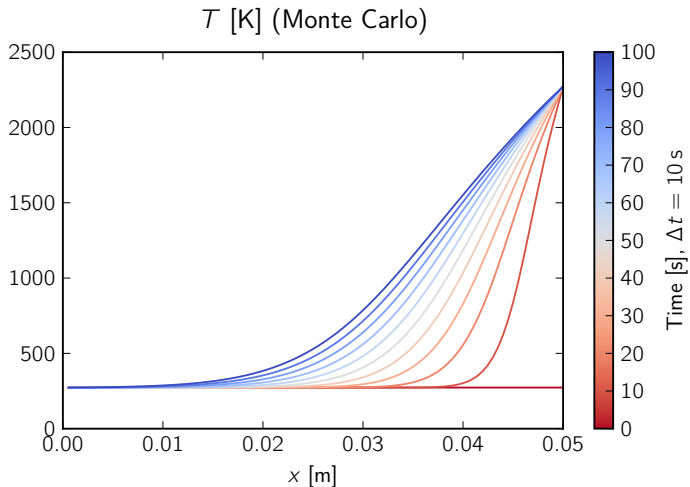
Conduction code

- OpenFOAM solver
- Finite volume discretization, explicit time stepping

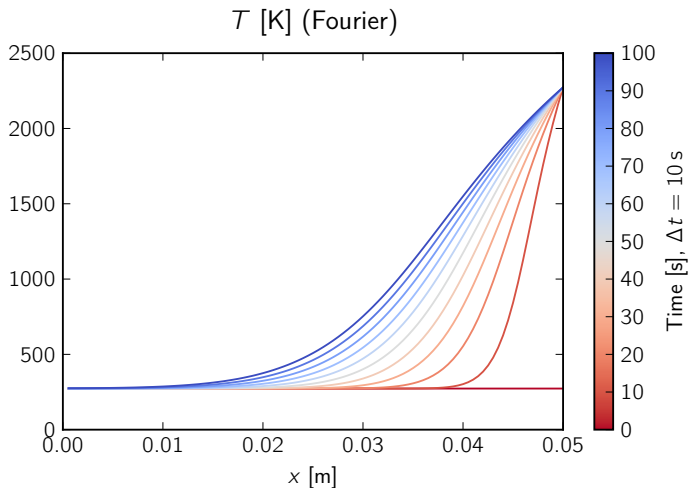
Radiation code

- Monte Carlo ray tracing code (C++)
- Reciprocal Monte Carlo method with deterministic absorption
- Supports isotropic Beerian absorption and scattering
- Client-server architecture for convenient coupling based on MPI

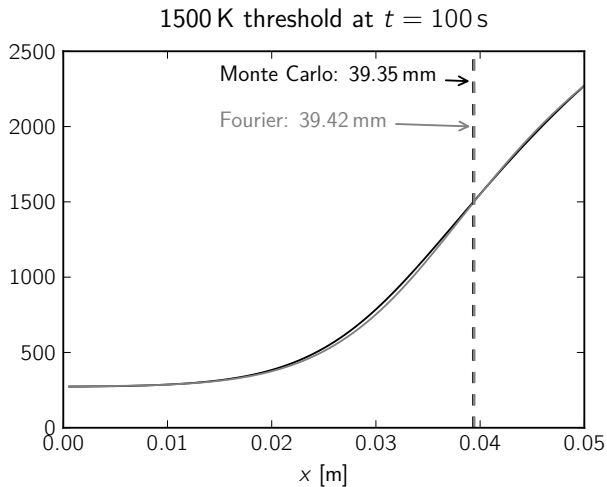
Temperature field analysis



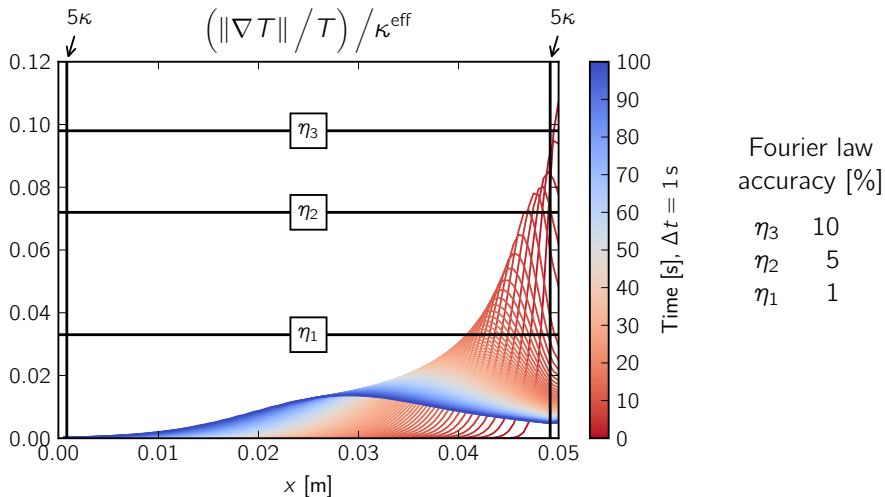
Temperature field analysis



Temperature field analysis



Temperature field analysis



Conclusions

Conclusions

Summary

- Validity criterion is ideal for the selection of a model
- Overall effect on a non-reacting sample is very limited in the conditions considered

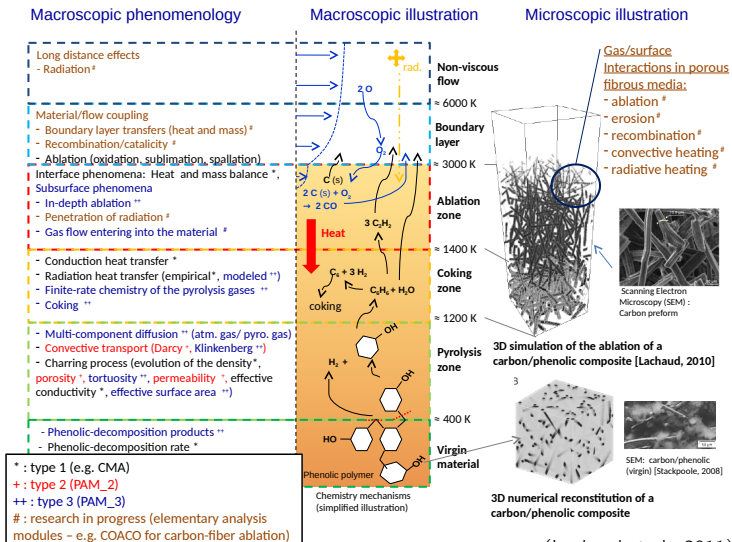
Future works

- Testing in a high-temperature case
- Impact on the recession rate for a reacting sample
- Design of a hybrid radiation code if relevant

Questions?

Backup slides

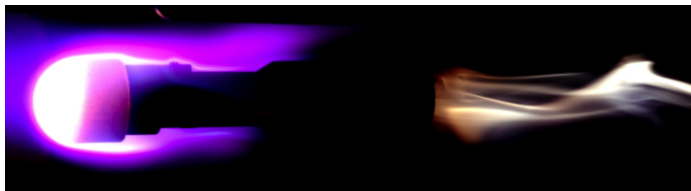
Ablative C/P shield phenomenology



(Lachaud et al., 2011)

Verification through ground testing

Ground testing (e.g. plasma torch + longshot) can be used for verification



(Helber, 2016)

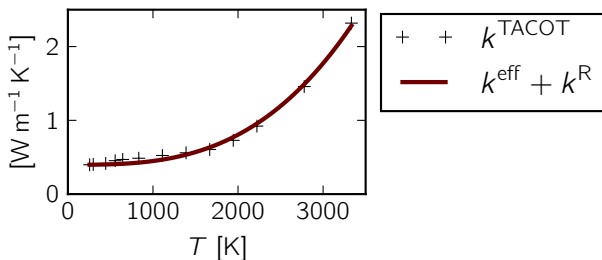
Material properties

Thermophysical properties

- $\varepsilon = 0.85$
- $\rho = 2.6 \times 10^2 \text{ kg m}^{-3}$
- $c_p = 1.8 \times 10^3 \text{ J kg}^{-1} \text{ K}^{-1}$
- $k^{\text{eff}} = 0.40 \text{ W m}^{-1} \text{ K}^{-1}$ (isotropic)

Radiative properties

- $k^{\text{R}} = CT^3$ with $C = 5.1 \times 10^{-11} \text{ SI}$
- no scattering: $C = \frac{16\sigma_S}{3\kappa}$
- $\kappa = 5.9 \times 10^3 \text{ m}^{-1}$



Values obtained from properties of charred-state TACOT 3.0 (Lachaud et al., 2012)
Fictitious lightweight ablator designed for code benchmarking